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2.

$t, u(t)$

$$\begin{aligned} &: ( \quad g((x(t), u(t)) - \\ & \quad , x(t) - \\ & \quad ), e^{-pt} - \end{aligned}$$

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### 3.

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“ ” ( “ ”, 2004 “Greedy sums and Dirichlet series”, 2011),

“ ” ( “ ”, 2004 “Greedy sums and Dirichlet series”, 2011),

“ ” ( “ ”, 2004 “Greedy sums and Dirichlet series”, 2011),

<sup>1</sup> “ ”, 1990.

$$W_t(z) = \sum_{i=1}^N \Delta s_t^i |\Delta s_t^i|^z, \quad \Delta s_t^i = a + ib = (s_e^i - |s_n^i|) + is_r^i, \quad s_t^i = |s_e^i| + |s_n^i| + |s_r^i|; \quad s_e^i - |s_n^i|, \quad s_r^i -$$



4.

$$J(N, L_n) = \int_0^{\infty} e^{-pt} \ln D(t) dt = \int_0^{\infty} e^{-pt} \left[ \left( \frac{1}{a} - 1 \right) \ln N(t) + \ln(L - L_n(t)) \right] dt \rightarrow \max .$$

$N(t)$  - “ $D(t)$ ”,  $L$  -  
 $L_n(t)$  -  
 $e^{-pt}$  - ,  $a$  -  
 ( ),  
 “ ” (c .[6]).

$$IPR(t) = \int_0^{N(t)} \left[ \frac{L - L_e(t)}{N(t)^\sigma} \right] ds = (L - L_e(t)) [N(t)]^{1-\sigma}.$$

$$S[N(t), L_e(t)] = \int_0^\infty [(1-\sigma) \ln N(t) + \ln(L - L_e(t))] dt \rightarrow \max.$$

$$N(t) \quad ; \quad \frac{dN(t)}{dt} = \frac{L_e(t)}{L} N(t),$$

$$L_e(t) \in [0, L], \quad N(0) = N_0, \quad ; \quad S[N(t), L_e(t)] = \int_0^\infty [(1-\sigma) \frac{L_e(t)}{L} + \ln(L - L_e(t))] dt \rightarrow \max.$$

$$L_e(t) = L - \frac{L}{1-\sigma}, \quad ; \quad L_e(t) \rightarrow L.$$

$\sigma$

$\sigma$

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$$ILR(t) = \int_0^{N(t)} \left[ \frac{N(t)^\sigma}{L - L_e(t)} \right] ds = \frac{[N(t)]^{1+\sigma}}{L - L_e(t)}$$

$\sigma$

$$L_e(t) \rightarrow L$$

$\sigma \rightarrow \max .$

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