

..

< >

, - .

, . : (,
, ,), ,

, , , (,
, , ,) .

; - ; ,

- ? “ ” .

, , , , (

, , .

, , ,

. -

(-) , ,
, () .

- (, ,

, , ,

“ ” (

..) [6]

I.

()

[3].

$$MV = D,$$

$$D - V -$$

$$: MV = PQ$$

$$, Q -$$

() ,

“ ”

“ ”

：“

II.

“ ”

§1.

-

()

C

“ ”

“ ”

”[3])

a)

()

(

“ ”

(

);

“ — ”

;

b)

(constant marginal utility of money) c

,

;

c)

“ ’ - ’ ”

()

’ ’ -

;

;

[8]: “

... , ; ,

() ,

”

,

,

;

d)

()

-

(,);

,

-

“ - ”

... “

[5] -

”

, ...

,

,

;

e)

,

,

,

,

,

-

-

,

,

,

,

,

“ ”

“ ”

;

$$W_t(z) = \sum_{i=1}^N \Delta s_t^i |\Delta s_t^i|^z \quad (1),$$

Δs_t^i — это изменение s_t^i за шаг t . Тогда $\Delta s_t^i = s_t^i - s_{t-1}^i$. Если $s_t^i = s_e^i + s_n^i + s_r^i$, то $\Delta s_t^i = \Delta s_e^i + \Delta s_n^i + \Delta s_r^i$. Если $s_e^i = s_t^i$, то $\Delta s_e^i = 0$. Если $s_n^i = s_t^i$, то $\Delta s_n^i = 0$. Если $s_r^i = s_t^i$, то $\Delta s_r^i = 0$. Если $s_e^i = s_t^i$, то $\Delta s_e^i = 0$. Если $s_n^i = s_t^i$, то $\Delta s_n^i = 0$. Если $s_r^i = s_t^i$, то $\Delta s_r^i = 0$.

$$\Delta s_t^i = a + ib = (s_e^i - |s_n^i|) + is_r^i \quad (1)$$

$$s_e^i = s_t^i \quad ; \quad 2) \quad |s_n^i| > |s_r^i| ; \quad 3)$$

Если $s_e^i = s_t^i$, то $\Delta s_e^i = 0$. Если $s_n^i = s_t^i$, то $\Delta s_n^i = 0$. Если $s_r^i = s_t^i$, то $\Delta s_r^i = 0$. Если $s_e^i = s_t^i$, то $\Delta s_e^i = 0$. Если $s_n^i = s_t^i$, то $\Delta s_n^i = 0$. Если $s_r^i = s_t^i$, то $\Delta s_r^i = 0$.

$$\lim_{\varepsilon \rightarrow 0} \sum_{|\Delta s_t^i| \geq \varepsilon} \Delta s_t^i = \sum_{i=1}^N s_t^i = S_t,$$

$$\Delta s_t^i = s_e^i, \quad S_i \quad (1), \quad z \rightarrow +0$$

Если $s_e^i = s_t^i$, то $\Delta s_e^i = 0$. Если $s_n^i = s_t^i$, то $\Delta s_n^i = 0$. Если $s_r^i = s_t^i$, то $\Delta s_r^i = 0$.

Δs_t^i

s_n^i, s_r^i

S_e

$$\operatorname{Re} z = \frac{S_e}{S} \leq 1$$

$W(z)$

$(N = \infty)$

$\operatorname{Re} z$

(1)

).³

Δs_i

[11],

³

W

s^i

t

$$EW(\Delta s_t^i; a) = \sum_{i=1}^N \int_0^\infty s_i^{a+1} [(1-2y_i(x))|1-2y_i(x)|^\alpha] F(dx),$$

$$: s_i = s_e^i(x) + s_n^i(x), s_e^i(x) = (1-y_i(x))s_i, 0 \leq y(x) \leq 1, \int_0^\infty F(dx) = \int_0^\infty f(x)dx = 1.$$

$$, EW(\Delta s_t^i; a) = \sum_{i=1}^N \int_0^\infty s_i^{a+1} [(1-2y_i(x))|1-2y_i(x)|^\alpha] F(dx) = \sum_{i=1}^N \Delta s_t^i |\Delta s_t^i|^\alpha.$$

$$a_i (1-y_i(x)) = \frac{s_e^i}{s_i}$$

$\{\Delta s_t^i\}$

N.

([10]).

$$W_t = \frac{1}{2} \begin{pmatrix} s_e^i - |s_n^i| & -is_r^i \\ is_r^i & s_e^i - |s_n^i| \end{pmatrix};$$

$$W_t(z) = \sum_{i \in I_\varepsilon} W_t^i |W_t^i|^z, \quad |W_t^i| - \varepsilon$$

$$i \in I, \quad : s_t^i = \sqrt{|s_e^i|^2 + |s_n^i|^2 + |s_r^i|^2}.$$

()

45

4

5

[8],

§3.

$$\sum_{i=1}^N \Delta s_t^i = S_t$$

$$\Delta s_t^i = s_t^i.$$

$$\Delta s_t^i.$$

():

()

()

()

()

),

(

“ ”

”

“ ”

“ ”, “ ”.

“ ”.

$W(z)$ $S[x(t), u(t)]$,

(

).

: $\frac{dx}{dt} = f(x, u)$.

: $\frac{dx}{dt} = f(x, u, W_\tau, \xi)$, x -

$G(u_i \in G_{u_i})$, u - , W_τ - (e) e

τ , t, ξ - .

$W(z)$

()

:

$S[x(t), u(t)] = \int_0^\infty F(x(t), u(t), W_\tau, \xi) dt$ (2),

$S[x(t), u(t)]$ - , (2) ,

$X(x_i \in X)$, $U(u_i \in U)$ $\Omega(\xi \in \Omega)$.

(

$W(\Delta s_i^j)$, ξ U .

Ω (

U

$W(\Delta s_i^j)$ ξ

(2)

(

):

$$S[N(t), L_e(t)] = \int_0^{\infty} [(1 + \sigma) \ln N(t) - \ln(L - L_e(t))] dt \rightarrow \min \quad (3),$$

, $L_e(t)$ - $N(t)$ “ ”
 , L - “ ”
 , σ - “ ”
 , W (1) () .
 , (1) (2-3)
 , “ ”
 “ ”: “ ”
 ”[4], “ ”
 : “ ”
 ”[5].
 , $W(z)$
 S () .
 , ()
 ()
 () .
 (3) $L_e(t) \rightarrow L$,
 -
 “ ”

III.

1. (3) () (1)-
 () W

S (),

$$\frac{S_e}{S_t} \sim \frac{L_e(t)}{L},$$

()

2.

W

W

3.

4.

(, [9]).

(“ ”).

5. „...“ („...“)
 - „...“
 „...“
6. „...“ („...“)
 - „...“
 „...“
7. Gini „...“ (1) $\text{Re } z = 0,8$
 „...“ 20% „...“ 20% („...“ 80%)
 „...“ („...“)
8. „...“

9.

(

),

(

(

).

(

),

(

)

20

